

COLLOQUIUM
**A new joint spectrum for
operator tuples**

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Abstract: For a tuple $A=(A_1, A_2, \dots, A_n)$ of elements in a unital algebra B over the complex field, its projective spectrum $P(A)$ is the collection of z such that the linear sum $A(z)=z_1A_1+z_2A_2+\dots+z_nA_n$ is not invertible. In finite dimensional case, projective spectrum is a projective hypersurface. When A is commuting, $P(A)$ looks like a bundle over the Taylor spectrum of A . In the case B is a C^* -algebra, the resolvent set $P^c(A):=C^n \setminus P(A)$ is made of domains of holomorphy. B -valued 1-form $A^{-1}(z)dA(z)$ reveals the topology of $P^c(A)$, and there exists a Chern-Weil type homomorphism from invariant multilinear functionals to the de Rham cohomology $H^*(P^c(A),C)$.

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